(3 Hours)

[ Total Marks : 100

- N.B.:(1) Attempt any five questions; each question is of 20 marks.
  - (2) Question No. 1 is compulsory.
  - (3) Scientific calculator can be used.
  - (4) Appropriate Statistical Tables can be used.
  - 1. (a) In a sample of 49 adolescents, one variable of interest was the diameter of skin test reaction to an antigen. The sample mean and standard deviation were 21 and 11 mm erythema, respectively. Can it be concluded from these data that the population mean is less than 30? Let  $\alpha = 0.05$ .
    - (b) The following table shows 1000 nursing school applicants classified according to scores made on a college entrance examination and the quality of the high school from which they graduated.

Qual	ity of High Poor	Schools Average	Superior
Score	(P)	(A)	(S)
Low (L)	105	60	55
Medium (M)	70	175	145
High (H)	25	65	300

Calculate the following probabilities:

- (i)  $P(M \cap P)$
- (ii) P(H/S)
- (iii) Made a low score
- (iv) Made a high score or graduated from a superior high school.
- (c) The following table shows the lifetimes in hours of samples from three different types of television tubes manufactured by a company. test at 0.01 level of significance whether there is a difference in the three types.

(Given:  $F_{0.01}(2, 9) = 8.02$ ).

Sample 1	407	411	409	reigion	
Sample 2	404	406	408	405	402
Sample 3	410	408	406	408	

(d) Calculate the mean, median, mode and standard deviation for the following data:

x	6	7	8	9	10	11	12
frequency	3	6	9	13	8	5	4

- (a) Research has suggested a high rate of alcoholism among patients with primary unipolar depression. In 210 families of females with primary unipolar depression, they found that alcoholism was present in 89. Of 299 control families, alcoholism was present in 94. Do these data provide sufficient evidence for us to conclude that alcoholism is more likely to be present in families of subjects with unipolar depression? Let  $\alpha = 0.05$ .
  - (b) Fit the curve y = axb to the following data by the least square method.

6

1 2 3 4

	, = 04)		
Officers x <sub>1</sub> 125	Clerks x <sub>2</sub> 120	Lab. Att. x <sub>3</sub> 120	Lab. Tech.
130	122	115	118
135	115	115	118
115	110 125	130	120
120	122	120	120
130	120	122	115
135	120	115	125
135	126 120	126	120
		118	115

(a) 17 families participated in a training program. Before and after the training program the Behavioural Vignettes Test was administered to the primary parent in each family. A higher score indicates greater knowledge. The following are the pre-and post training scores made on the test :

Dro	-					THE TE	SI:		
rie	/	6	10	16	. 0	10			
Pre Post Pre	11	11	40		0	13	8	14	16
		14	10	17	9	15	0	47	
Pre	11	12	13	0	10		9	1/	20
Pre Post	12	14		9	10	17	8	5	
Post	12	14	15	14	15	18	15	9	

May we conclude, on the basis of these data, that the training program increases knowledge of behaviour principles ? Let  $\alpha = 0.01$ .

(b) The face sheet of patients' records maintained in a local health department contains 10 entries. A sample of 100 records revealed the following distribution

No. of error	neous entries out of 10	No. of records
	4	8
	2	25
	3	32
	Mind A hay assignments a series of the	24
	5 or more	10
e anndness of	o or more	1

Just the goodness of fit to the binomial distribution with P = 0.20.

(c) The table shows the yields per acre of four different plant crops grown on lots treated with three different types of fertilizer. Test at 0.01 level of significance whether there is a significant difference in yield per acre due to fertilizers.

Fertilizer A	Clobi	Crop II	Crop IIi	co fertilizers.
Fertiliizer B	4·5 8·8	6.4	7.2	6.7
Fertilizer C	5.9	7.8	9.6	7.0
		6·8 en : F <sub>001</sub> (2	5.7	5.2

populations. Construct 90, 95 and 99 percent confidence intervals for the difference between population means.

(b) A sample of 500 college students participated in a study. The following table shows the students classified by major field of study and level of knowledge of the group of diseases:

Knowle	dge of diseases	
Major	Good	Poor
Premedical	31	91
Others	19	359

Do these data suggest that there is a relationship between knowledge of the group of diseases and major field of study. Let  $\alpha = 0.05$ .

(c) Define the following terms :-

- (i) One and two tailed test
- (ii) Conditional probability
- (iii) Yate's correction
- (iv) Estimation.
- 5. (a) Arterial blood gas analyses performed on a sample of 15 physically active adult males yielded the following PaO<sub>2</sub> values:

75 80 80 74 84 78 89 72 83 76 75 87 78 79 88

Compute the 95 percent confidence interval for the population proportion.

(b) In an air pollution study, a random sample of 200 households was selected from each of two communities. A respondent in each household was asked whether or not anyone was bothered by air pollution. The responses were as follows:

Community	Yes	No
1	43	157
II.	81	119

Can the researchers conclude that the two communities differ with respect to the variable of interest? Let  $\alpha = 0.05$ .

(c) The following table shows the weights Z, heights X and ages Y of 12 boys.

(i) Find the least-squares regression equaion of Z on X and Y.

(ii) Determine the estimated values of Z from the given values of X and Y.

(iii) Estimate the weight of a boy who is 9 years old and 54 inches tall.

Weight (Z)	Height(X)	Age(Y)
64	57	8
71	59	10
53	49	6
67	62	11
55	51	8
. 58	50	7
77	55	10
57	48	9
56	52	10
51	42	6
76	61	12
68	57	9

[ TURN OVER

8

		6
(a)	The probability that a person suffering from migraine headache will obtain relief	
	with a particular drug is 0.9. Three randomly selected sufferers from migraine headache are given the drug. Find the probability that the number obtaining	
	relief will be:	
	(i) exactly zero (iv) two or fewer	
	(ii) exactly one (v) two or three	
	(iii) more than one	6
(b)		
	sample of 15 postcardiac surgical patients in the left lateral position. The results	
	were as follows:	
	4.91 4.10 6.74 7.27 7.42 7.50	
	6·56 4·65 5·98 3,14 3·23 5·80 6·17 5·39 5·77	
	Can we conclude ont he basic of these data that the population mean is different	
	from 5.05 ? Use 5% LOS. Use Wilcoxon signed—Rank Test for Location.	
	(Given: $T_{15}$ (0.05) = 25).	4
(c)		
	The variance was 0.75 for the 10 observations. test the null hypothesis	
	that the population valance is 1. Let $\alpha = 0.05$ .	4
	(ii) Glucose responses to oral glucose were recorded for 11 patients with	
	Huntington's disease (group 1) and 13 control subjects (group 2). Results	and the same of th
	yielded the following sample variances : $s_1^2 = 105$ , $s_2^2 = 148$ . Construct	199
	the 95 percent confidence interval for the ratio of the two population variances.	
	(Given $F_{.975} = 3.37$ , $F_{.025} = .2762$ )	
(-)	The following table above the age distribution of ages, of a cortain disease	6
(a)	The following table shows the age distribution of cases of a certain disease during a year.	المساور
	during a year.	
	Step to a serie senting established to the series of the s	
	Age No. of cases	
	s siew apango 5—14 moltulos in volta 5 m www.s.ton.com sentingwill	
	5—14 15—24	
	5—14 15—24 25—34 35—44 22	
	5—14 5 15—24 10 25—34 120 35—44 22	
	5—14 15—24 25—34 35—44 22	
	5—14 5 15—24 10 25—34 120 35—44 22 45—54 13 55—64 5	
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	5—14 5 15—24 10 25—34 120 35—44 22 45—54 55—64 13 55—64 5  For these data construct a cumulative frequency distribution, a relative frequency distribution, a histogram and a frequency polygon.	6
(b)	5—14 15—24 10 25—34 120 35—44 22 45—54 13 55—64  For these data construct a cumulative frequency distribution, a relative frequency distribution, a cumulative relative frequency distribution, a histogram and a frequency polygon.  Fifteen patient records from each of two hospitals were reviewed and assigned	6
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Do these data provide sufficient evidence to indicate that attenders, on the average, score higher than nonattenders? Let  $\alpha$  = 0.01. Assume equal variances. Also construct a 95 percent confidence interval for the difference between the means of the population.